

# AERODYNAMICS OF A FLUIDIZED BED OF FORESTRY BIOMASS PARTICLES WITH MECHANICAL AGITATION

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**Abstract** - The aerodynamic behavior of wet forestry biomass particles mechanically shaken in a fluidized bed was analyzed with turning velocity between 0.5 and 2 r.p.s. It was concluded that the agitation exerts an important effect on the fluidization of wet biomass particles. The effect of the agitator is not relevant if the particles have low humidity content. In addition, a methodology based on the Ergun's equation for the calculation of the specific biomass particle surface, with a degree of acceptable correlation ( $R^2 > 0.96$ ) was proposed. For the prediction of the minimum fluidization velocity, a new correlation allowing fitting the experimental values with deviations of  $\pm 15\%$  for dry and wet particles, was also proposed.

**Keywords** - Fluidized bed, Forestry biomass, Agitated fluidized bed

## I. INTRODUCTION

Drying is a process where momentum, energy and mass transfer take place simultaneously. The reliability in the design of particle dryers in fluidized bed depends, to a great extent, on the information available on the fluid dynamics of the gas-solid interaction. The determination of drag coefficients for fluidized beds has been objective of many studies up to date. Some of them approached this problem considering the isolated particle and others considered the interaction with other particles, as in the case of a fluidized bed. In general, the theoretical analyses gave good results in particles or systems of regular geometry; in the case of irregular particles and/or turbulent flow, where the energy losses by kinetic effects are relevant in relation to the losses of viscous origin, the empirical analysis from more or less classic procedures prevailed. It has been observed that even the empirical determination of parameters such as the fluidization velocity, is not completely reproducible (Vanecek *et al.*, 1966). Until now, there are not general fundamental studies applicable to any system and still prevails the idea to model particular systems rather than general ones.

The objective of this investigation is to study the aerodynamics in the solid-fluid interaction for a fluidized particle bed of forestry biomass for drying purposes. The study is designed to generate information for the further analysis of the convective heat and mass

transfer between the fluidizing gas and the solids during the process of moisture removal in a fluidized bed with mechanical agitation.

The analysis of the aerodynamics of biomass particles in contact with air, allows to determine the minimum fluidization velocity  $U_{mf}$ , such as the particle surface area  $S_p$  used in the determination of the convective heat and mass transfer coefficients. In addition, a prediction correlation of fluidization velocities within the range of Reynolds' number between 10 and 250, is proposed. The results are compared with those shown by other authors for fluidized bed systems.

## II. THEORETICAL BACKGROUND

In particulated dense or high particle concentration systems, the mechanical, thermal and chemical behavior of a mixture of two or more continuous media have been subject of several studies following the work of Truesdell in the second half of the 50s (Atkin and Craine, 1976). In particular, works applicable to fluidized systems like those of Jackson (1971) and Kuipers *et al.* (1992) among others, have been developed.

Together with the balance equations it is necessary to include the characteristics of medium through constitutive equations. For slow flows of a fluid through a porous body (valid for low Reynolds' numbers), Darcy found that the resistant force between the fluid and a porous medium depends on the superficial velocity  $U = \varepsilon u$ , considered without the presence of the porous medium. The well-known Darcy's law, for an incompressible flow, is written as:

$$-\nabla P = \frac{\mu_g}{K} U \quad (1)$$

where  $P = p + \rho_g gz$  is the modified pressure.

In the case of a large particle fluidized bed as it is the situation of a biomass particle dryer, the pressure gradient in the fluid is governed by the viscous losses and the losses of kinetic energy (creeping-flow and inertial-flow).

Thus, Darcy's law must incorporate the quadratic term and in such case, the global pressure drop in the particle bed  $\Delta p$ , remains as:

$$\frac{\Delta P}{L} = \frac{\mu_g}{K} U + \frac{c\rho_g}{\sqrt{K}} U^2 \quad (2)$$

that is equivalent to the particle beds developed by Ergun (1952)

Table 1. Values for  $k_1$  and  $k_2$  of equation (8) according several authors.

Authors	$k_1$	$k_2$	Comments
In Couderc (1985):			
Goossens <i>et al.</i>	33.7	0.0408	
Saxena and Vogel	25.28	0.0571	$0.088 \text{ mm} < D_p < 1.41 \text{ mm}$ ; $6 < Re_{mf} < 102$
Babu <i>et al.</i>	25.25	0.0651	$0.05 \text{ mm} < D_p < 2.87$ ; $\text{mm } 256 < \rho_p < 3920$
Richardson and Jerónimo	25.7	0.0365	
Thonglimp	31.6	0.0425	$0.11 \text{ mm} < D_p < 2.12 \text{ mm}$
In Fitzgerald (1985):			
Wen and Yu	33.7	0.0408	
In Tannous <i>et al.</i> (1992):			
Chyang <i>et al.</i>	33.3	0.033	
Tannous <i>et al.</i>	24.8	0.044	

$$\frac{\Delta p}{L} = 150 \frac{(1-\varepsilon)^2}{\varepsilon^3} \frac{\mu_g U}{D_p^2} + 1.75 \frac{1-\varepsilon}{\varepsilon^3} \frac{GU}{D_p} \quad (3)$$

since it is possible to approximate  $\Delta P \approx \Delta p$ . Thus:

$$K = \frac{D_p^2 \varepsilon^3}{150(1-\varepsilon)^2} \quad (4)$$

and

$$c = \frac{0.14}{\varepsilon^{3/2}} \quad (5)$$

For non spherical particles, Ergun's equation can be re-arranged taking into account that in this case the  $6/\phi D_p$  ratio represents the specific surface area of an arbitrary particle of similar size, that is:

$$S_p = \frac{6}{\phi D_p} \quad (6)$$

Thus, Ergun's equation can be applied to arbitrary particles where  $D_p$  correspond to the sphere diameter of an equivalent volume of the arbitrary particle and then:

$$\frac{\Delta p}{L} = 150 \frac{(1-\varepsilon)^2}{\varepsilon^3} \frac{\mu_g U}{(\phi D_p)^2} + 1.75 \frac{1-\varepsilon}{\varepsilon^3} \frac{GU}{\phi D_p} \quad (7)$$

or to write the equation as:

$$Re_{mf} = \frac{\rho_g U_{mf} D_p}{\mu_g} = [k_1^2 + k_2 Ga M_\rho]^{0.5} - k_1 \quad (8)$$

where the  $k_1$  and  $k_2$  constants can be written as:

$$k_1 = \frac{150(1-\varepsilon)}{3.5\phi} \quad (9)$$

$$k_2 = \frac{\phi \varepsilon^3}{1.75} \quad (10)$$

and their values, depending on the bed porosity  $\varepsilon$  and of the particle's sphericity  $\phi$ , have been reported by several authors as shown in Table 1.

In the case of non spherical particles, when combining Eqs. (6) and (7), the equation can be rewritten in terms of  $S_p$  as follows:

$$\frac{\Delta p}{L} = 150 \frac{(1-\varepsilon)^2}{\varepsilon^3} \frac{\mu_g U}{36} S_p^2 + 1.75 \frac{1-\varepsilon}{\varepsilon^3} \frac{GU}{6} S_p \quad (11)$$

On a static particle bed, this equation indirectly allows estimating the particle surface area  $S_p$ . The Eq. (11) has the advantage to determine the specific surface area of a particle with experimental data of the pressure drops and

superficial velocity without determining the equivalent size nor the particle's sphericity.

### III. METHODS AND EXPERIMENTAL WORK

In the particle dryer shown in Fig 1 and 2, experiments to determine the pressure drops based on the superficial velocity of air in the drying chamber, were carried out. These experiments took place under resting conditions and in fluidized bed, with biomass particles of  $d_p$  size equal to 0.89, 1.44, 1.59, 2.18 and 3.56 mm. One first run was done with particles with equilibrium moisture content (0.15 kg/kg dry base). Later, the tests were carried out with wet particles with 2.0 kg/kg of moisture d.b. The base weight of the dry and wet samples was 2.0 kg d.b. Thus, the density of particles, in hygroscopic and wet states, was 423 and 1044 kg/m<sup>3</sup>, respectively. The moisture content effect on the particle size (shrinking of biomass) was not considered in the study. The porosity of the bed  $\varepsilon$  was determined using values of particles density and bed density, and calculated separately for dry and wet biomass particles.

For the tests with wet particles, they were dampened with a sufficient amount of water to guarantee the desired moisture content, introduced in a polyethylene deposit where they were shaken to improve the homogeneity of the moisture. The humid product was kept for 24 hours in the deposit to facilitate the moisture absorption by the solid parts and their uniformity. Before the product entering the chamber the sample's moisture was determined again to verify the moisture content of the test.

The air flow measurements were done using the Pitot's tube, and correcting the air's density based on the measured temperature and the pressure in the tubing where the dynamic pressure sensor was located.

The pressure drops, as a consequence of each biomass load in the dryer, were measured based on the superficial velocity using the turning speed of the mechanical agitator as a parameter to discover possible effects the turning speed could exert on the aerodynamics of the process.

In a biomass particle fixed bed,  $\varepsilon$  can be calculated with particle density values (Moreno *et al.*, 2004) and the density of the static bed. Thus,

$$\varepsilon = 1 - \frac{\rho_b}{\rho_p} \quad (12)$$

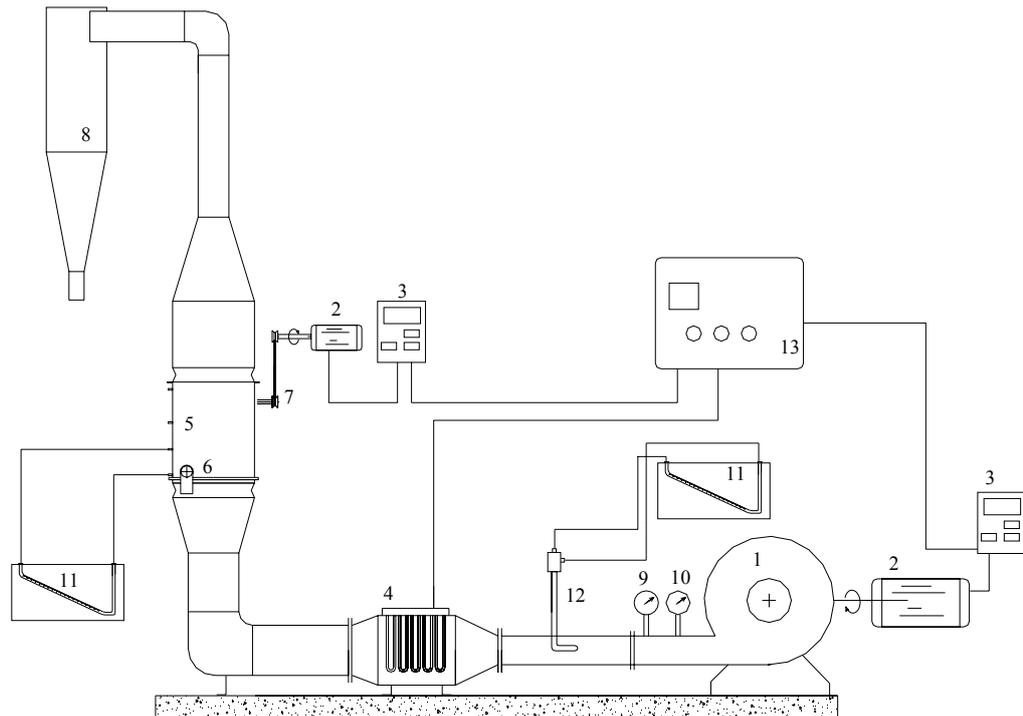


Fig. 1. Experimental equipment: (1) air blower; (2) motor; (3) frequency converter; (4) air heater (optional); (5) drying chamber; (6) air distributor; (7) power input for stirrer; (8) cyclone; (9) thermometer; (10) Bourdon manometer; (11) water manometer; (12) Pitot tube; (13) electric power.

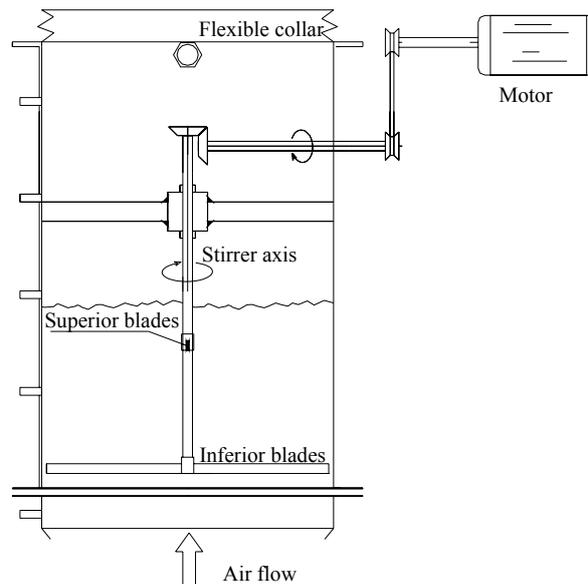


Fig. 2. Drying chamber with agitation system; superior blades perpendicular to diagram.

#### IV. RESULTS AND DISCUSSION

##### A. Minimum fluidization velocity

Figure 3 and 4 show two curves of pressure drops versus superficial velocity obtained with particles with equilibrium moisture and 1.85 mm size. It can be seen that in the case of none shaking bed (Fig. 3), the particles remain in rest until the bed, for a certain superficial velocity, abruptly expands to produce a considerably increase in the air flow. The fluidized bed was obtained at the 0.68 m/s velocity.

When the agitation velocity is increased to 1.0 r.p.s. (Fig. 4), the passage of fixed bed to fluidized bed is gradual obtaining a reduction in the velocity of fluidization down to 0.57 m/s. For greater agitation velocities the benefits are attenuated and the fluidization velocity remains between 0.58 and 0.6 m/s when the agitation velocities increase to 1.5 and 2.0 r.p.s. The behavior with the other particle sizes was similar, with obvious variations in the velocity values obtained, according to the particle size.

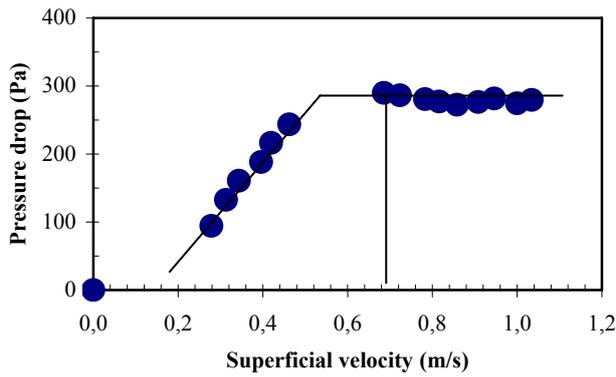


Fig. 3. Pressure drop in a non-agitation fluidized bed for  $d_p = 1.85$  mm and equilibrium moisture content.

It has been possible to verify that the agitation has an important effect on the biomass particle aerodynamics especially when the particles have high moisture contents; in the case of particles of low moisture the effect is less. In order to confirm this fact the values of the fluidization velocities  $U_{mf}$  were determined in a conventional fluidized bed and in a mechanically shaken one with agitation velocity  $N$  in the range of 0.5 to 2.0 r.p.s. The velocities are shown in Fig 5. Indeed, it can be observed that with dry biomass, fluidization velocities are smaller and the decrease of this operation variable when using a turning velocity of 2.0 r.p.s., is very small. Nevertheless, when the product is with high moisture the effect is relevant, bearing in mind that a high moisture biomass bed is impossible to fluidize. However, with 2 r.p.s. a fluidized state can be obtained using the velocities shown by the top curve in Fig. 5.

It is possible to emphasize that in the tests with biomass of small size ( $d_p < 1.0$  mm) and a 2.0 kg/kg moisture content, was not possible to obtain fluidization, despite the use of agitation velocities higher than 2.0 r.p.s. due to the formation of agglomerate impossible to break by the high forces exerted by the superficial tension of the water. In consequence, the value of  $U_{mf}$  for this particle size is not indicated in Fig. 5.

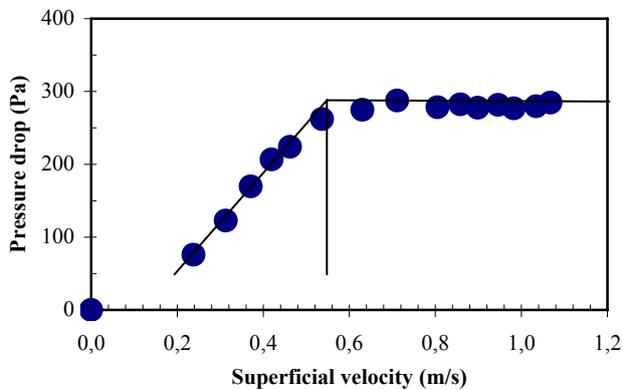


Fig. 4. Pressure drop in an agitation-fluidized bed for  $d_p = 1.85$  mm and equilibrium moisture content;  $N = 1.0$  r.p.s.

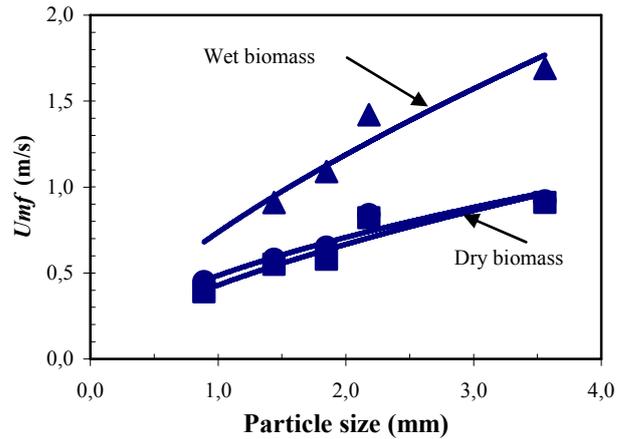


Fig. 5. Minimum fluidization velocity as function of particle size  $d_p$ ; ●,  $N = 2.0$  r.p.s. and  $w = 0.12$  kg/kg d.b.; ■,  $N = 0$  r.p.s. and  $w = 0.12$  kg/kg d.b.; ▲,  $N = 2.0$  r.p.s. and  $w = 2.0$  kg/kg d.b.

According to these results and for the purpose of units of biomass drying design, as the drying process evolves, it is possible to decrease the velocity gradually from 2 to 0.5 r.p.s. This result agrees with those obtained by Reina *et al.* (2001). This could contribute to a saving in the energy consumption of the agitating mechanism, since in the final period of drying the fluidization state can be obtained exclusively with the air flow acting on the particles.

### B. Particle surface area

For the calculation of the particle surface area  $S_p$  in the experimental trials, the points of the bed pressure drop graphs based on the superficial velocity were considered, corresponding exclusively to the condition of fixed bed.

The results of specific surface in the range of 0.89 to 3.56 mm particle size are in Fig 6. Each point of Fig. 6 corresponds to medium value of  $S_p$  obtained with several points of  $U-\Delta p$  graph, where  $U < U_{mf}$ . The size  $d_p$  corresponds to particles with hygroscopic moisture content, obtained by means of ASTM E-11 sieving.

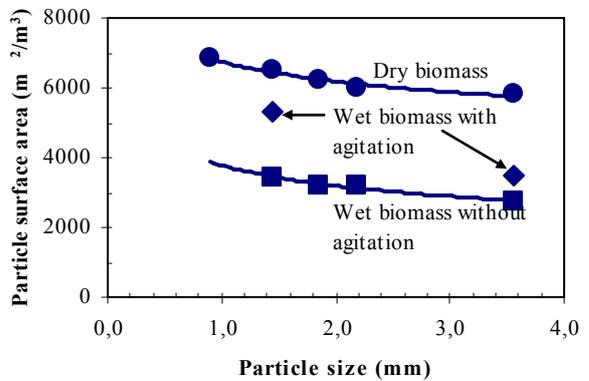


Fig. 6. Particle surface area of dry and wet biomass particles as a function of the particle size  $d_p$ .

These results can be correlated approximately with the following equations:

$$S_p = 6737 d_p^{-0.1237} ; R^2 = 0.960 \quad (13)$$

for  $w = 0.15 \text{ kg/g}$  and  $0.89 \text{ mm} \leq d_p \leq 3.56 \text{ mm}$ , and

$$S_p = 3778 d_p^{-0.2432} ; R^2 = 0.972 \quad (14)$$

for  $w = 2.0 \text{ kg/g}$  and  $1.44 \text{ mm} \leq d_p \leq 3.56 \text{ mm}$ .

When comparing the particle surface area values of dry biomass particles with those of high moisture content, it can be seen that there is a significant reduction in the area of contact between particles and the fluid when the biomass is loaded with high moisture. This decrease in surface has indirectly been detected by means of the measurements of pressure drops and superficial velocity. In fact, when correlating the data of pressure drops and superficial velocity through Ergun's equation, it was demonstrated that the Eq. (11) is satisfied with lower values of  $S_p$  in the case of wet particles. These reductions in the specific surface allowed to reasonably supposing that the contact area between particles and the fluid decreases as a result of superficial water bridges generated among particles in the bed. These water bridges could be causing the union forces among the solids and could also be the causes of the difficulty in obtaining a suitable fluidization of them in a conventional bed.

In order to investigate this fact, two experimental analyses with wet particles of  $d_p$  size equal to 1.44 and 3.56 mm, in a mechanically shaking bed but with gas velocities lower than  $U_{mf}$  to guarantee the condition of fixed bed, were carried out. The results showed, that the turning velocity of the mechanical agitator when placing the particles in movement, without they reaching condition of fluidized bed, produces a reversion in the previously obtained results. That is, the movement of the mechanical agitator is able increase to the biomass - air contact surface to intermediate values of 5339 and 3510

$\text{m}^2/\text{m}^3$  for particles of 1.44 and 3.56 mm, respectively, as it is observed in the intermediate points of Fig 6. This increase of the specific surface is attributed to the effect the mechanical agitator would exert on the bed causing a breaking of the inter-particles forces created by the superficial water of the biomass. It is worth noting that the intermediate points in Fig. 6, are approximated because, despite the bed was not suspended or fluidized during these tests, the particles were with a certain movement due to the turning of the agitator.

**C. Correlations for the calculation of  $U_{mf}$**

A comparison of the experimental results obtained in the fluidization velocities  $U_{mf}$  with those predicting the correlation (8), was also done. This equation is frequently used by the investigators by simply fitting the values of  $k_1$  and  $k_2$  constants, as shown in Table 1.

The comparison between the values predicted by this equation for biomass particles and the experimental results can be seen in Fig. 7 and 8, for particles of biomass with equilibrium moisture content and biomass of high moisture, respectively.

From the comparison done, it is possible to infer in both cases that despite the experimental values of  $U_{mf}$  are within the velocity range predicted by the correlations informed in the literature, they do not predict the variation shown by the minimum fluidization velocity as the size of particle increases. In practice, as the size of particle increases, the fluidization velocity increases more than the other investigators, as observed in the slopes of the curves in relation to the experimental data of this study.

This type of behavior is attributed, according to the observation in the fluidization chamber, to the fact that greater size particles tend to catch themselves with greater facility within the bed, in comparison with the smaller ones, thus making their free suspension difficult. Thus, the

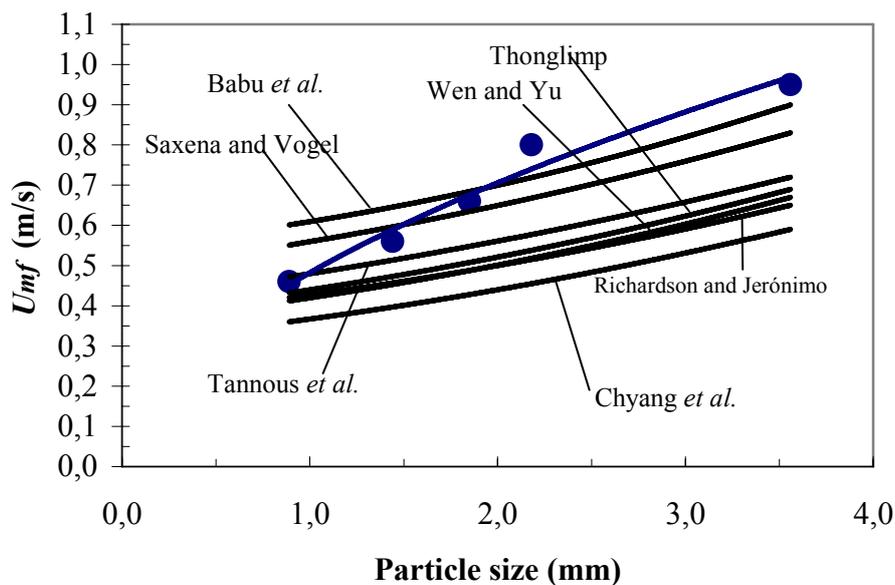


Fig. 7. Variation of  $U_{mf}$  with the particle size  $d_p$  for biomass with equilibrium moisture.

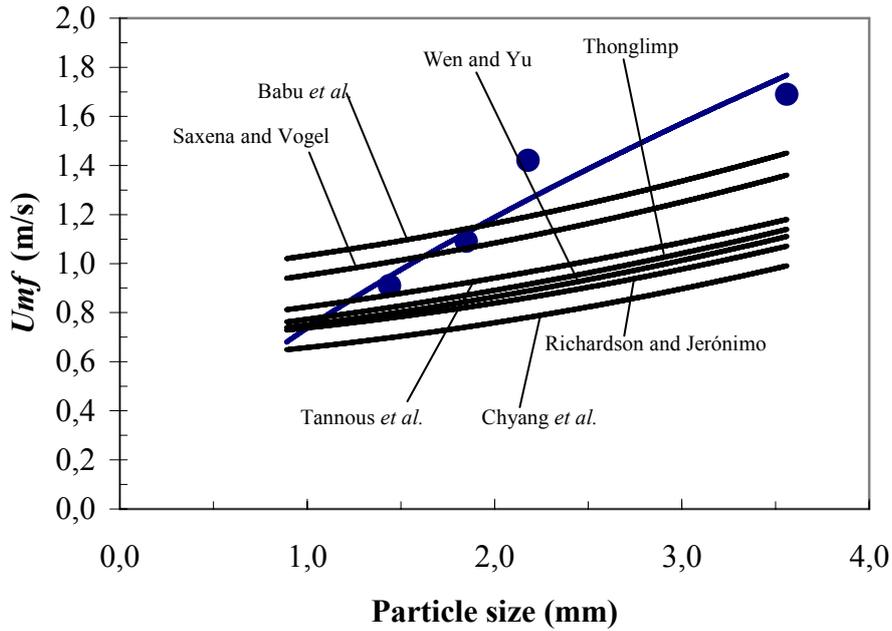


Fig. 8. Variation of  $U_{mf}$  with the particle size  $d_p$  for biomass with 2.0 kg/kg d.b. moisture content.

fluidization of each particle is affected by the presence of others surrounding it. This behavior was observed with dry particles, where it was not necessary to use mechanical agitation for their suspension, as well as with wet particles where the mechanical agitation was used to desagglomerate the bed.

An additional cause why there is a lack of prediction capacity of the Eq. (8) is the high values of porosity experimentally obtained in this investigation. These  $\epsilon$  values are between 0.61 and 0.70 in dry particles bed and between 0.61 and 0.67 with wet biomass, which unlike many systems reported in the literature, are more elevated. This appreciation agrees with Kunii and Levenspiel (1969), who stated that for high porosity beds, such as those of fibrous particles, the deviations in the prediction of the pressure drop by Ergun's equation can be higher than  $\pm 25\%$ . Within this category, the biomass particle analyzed in this investigation have to be included, since its structure is fibrous and the bed porosity reached values between 0.6 and 0.7; on the other hand, the sphericity of particles ranged between 0.24 and 0.36.

For the prediction of the  $U_{mf}$  velocity, a new correlation using parameters of Tannous *et al.* (1992) is proposed here adopting  $k_1 = 24.8$  and  $k_2 = 0.044$ , since it adjusts well in the range of small size particles. Nevertheless, this had to be corrected to consider the variation of the velocity  $U_{mf}$  with the size of particle. In order to obtain this prediction, a geometric corrector factor based on the size of particle measured by sieve procedure  $d_p$ , was chosen. Thus, the correlation proposed to predict the behavior of  $U_{mf}$  can be written as

$$Re_{mf} = \left[ (24.8^2 + 0.044 Ga M_\rho)^{0.5} - 24.8 \right] \left( \frac{d_p}{D_0} \right)^{1/3} \quad (15)$$

where, the reference diameter  $D_0$  is 1 mm.

The corrected parameters of Tannous *et al.* (1992) as observed in Fig. 9 and 10, allows adjusting the experimental values with an acceptable correlation coefficient. The deviations in the predictions of  $U_{mf}$ , based on  $d_p$ , using the proposed correlation for dry particles as well as wet, are very low in most of the cases studied and only in two tests these deviations were  $-12\%$  and  $+15\%$ , as shown in Fig. 11. This result is considered satisfactory for the design of fluidized bed units. Based on the above, it is deduced that the adjustment exponent of  $1/3$  for the size of particle  $d_p$  was satisfactory for particles with hygroscopic moisture content as well as for high wet particles.

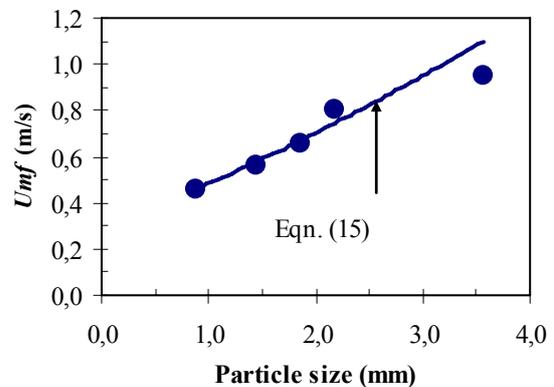


Fig. 9. Variation of the minimum fluidization velocity  $U_{mf}$  in relation to the particle size  $d_p$  for dry biomass.

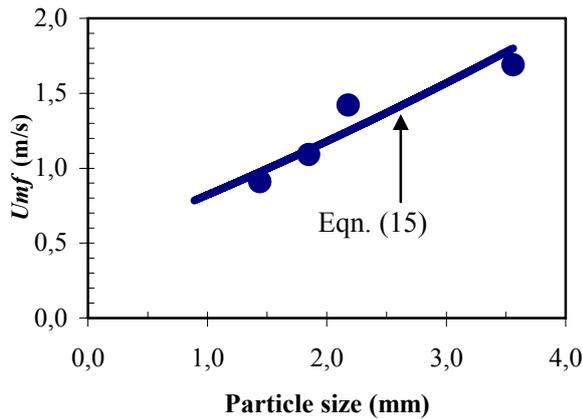


Fig. 10. Variation of the minimum fluidization velocity  $U_{mf}$  in relation to the particle size  $d_p$  for wet biomass.

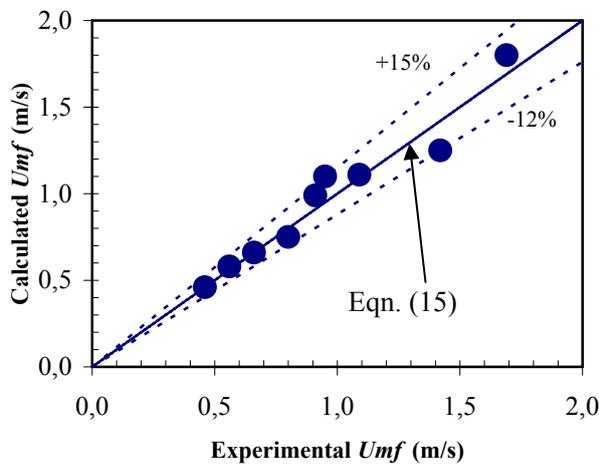


Fig. 11. Comparison between experimental and calculated minimum fluidization velocities.

## V. CONCLUSIONS

This work corresponds to an experimental study on the aerodynamic particle behavior of wet forest biomass in a fluidized bed with mechanical agitator.

Agitation has an important effect on the biomass particle aerodynamics if the particles have high moisture contents. The effect of the agitator is not relevant when fluidizing low moisture particles.

In the design of biomass drying units, the agitation velocity could be gradually decreased from 2 to 0.5 r.p.s., as the drying process evolves. This would contribute to a saving in the consumption of energy of the agitating mechanism since in the final drying period; the fluidization can be obtained exclusively with the air flow acting on the particles.

A methodology for the calculation of the biomass particle surface area is proposed based on Ergun's equation. The procedure allows obtaining correlations of  $S_p$  calculation based on the particle size  $d_p$  with a good degree of approximation for the calculations of the heat and mass transfer coefficients ( $R^2 > 0.96$ ).

For the prediction of the  $U_{mf}$  velocity, a new correlation based on the parameters of Tannous *et al.* and modified to consider the specific variation of the  $U_{mf}$  velocity with the size of particle  $d_p$ , is proposed. The correlation allows fitting the experimental values with  $\pm 15\%$  deviations in the predictions of  $U_{mf}$  for dry as well as wet particles.

## NOMENCLATURE

$c$  structural factor of porous medium in Darcy's equation.

$D_p$  diameter of the equivalent-volume sphere (m).

$D_0$  reference particle diameter (m).

$d_p$  particle size according sieving method (m).

$g$  acceleration due to gravity ( $m/s^2$ ).

$G$  fluid mass velocity ( $kg/s\ m^2$ ).

$k_1, k_2$  constants in the Ergun's equation.

$K$  permeability in the Darcy's law ( $m^2$ ).

$L$  bed height (m).

$N$  agitation speed (r.p.s.)

$p$  pressure (Pa).

$P$  modified pressure (Pa).

$R^2$  explanation variance

$S_p$  particle surface area per unit volume of solids ( $m^2/m^3$ ).

$U, U$  superficial gas velocity (m/s).

$U_{mf}$  minimum fluidization velocity (m/s).

$w$  moisture content in the biomass d.b. (kg/kg).

$z$  rectangular coordinate (m).

$\varepsilon$  porosity of bed ( $m^3/m^3$ ).

$\phi$  sphericity.

$\mu_g$  absolute gas viscosity ( $N\ s/m^2$ ).

$\rho_g$  density of fluidizing gas ( $kg/m^3$ ).

$\rho_b$  density of bed ( $kg/m^3$ ).

$\rho_p$  density of biomass particle ( $kg/m^3$ ).

$$Ga = \frac{D_p^3 \rho_g^2 g}{\mu_g^2} \quad \text{Galileo number.}$$

$$M_\rho = \frac{\rho_p - \rho_g}{\rho_g} \quad \text{density ratio.}$$

$$Re_{mf} = \frac{\rho_g U_{mf} D_p}{\mu_g} \quad \text{Reynolds number.}$$

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